

**Day 1: Set Notation and Vocab**

Date \_\_\_\_\_ Period \_\_\_\_\_

**Working with Sets**

A \_\_\_\_\_ is a well-defined collection of distinct objects. Each object in a set is called an **element** of the set. A set is often denoted by writing the elements in braces. { }

The set with **no elements** is an \_\_\_\_\_ denoted by  $\emptyset$ .

The set of **all elements** under consideration is the \_\_\_\_\_, denoted by  $U$ .

Identifying the number of elements in a set is important for calculating probabilities.

Set	Set Notation	Number of elements in the Set
Universal Set ( $U$ ) is all natural numbers less than 10.	$U =$	$n(U) =$
Set A is the set of prime numbers less than 10.	$A =$	$n(A) =$
Set B is the set of even natural numbers less than 10.	$B =$	$n(B) =$
Set C is the set of natural numbers less than 10 that are a multiple of 4.	$C =$	$n(C) =$

Term	Notation	Example	Venn Diagram
A _____ exists when every element of one set is part of another set.	$C \subset B$	all elements of set C are part of set B	
An _____ of sets is the similar elements in both sets.	$A \cap B$	are the elements in set A <b>AND</b> set B	
A _____ of sets is the set of all the elements in either set.	$A \cup B$	are the elements in set A <b>OR</b> set B	
A _____ of a set is the set of all elements in the universal set (U) that are not in the set.	$A^c$	are the elements <b>NOT</b> in set A	

## Calculating Probabilities

A \_\_\_\_\_ is an activity involving chance.

Each possible result of the experiment is called an \_\_\_\_\_.

A set of outcomes is known as an \_\_\_\_\_.

\_\_\_\_\_ is measuring how likely an event is to occur when all the outcomes of an experiment are equally likely. For example: The probability that event A would occur in the sample space S is given by the following.

$$P(A) = \frac{\text{number of outcomes for the event}}{\text{number of outcomes in the sample space}} = \frac{n(E)}{n(S)}$$

Your grocery basket contains one bag of each of the following items: oranges, green apples, green grapes, broccoli, cauliflower, carrots, and spinach. You are getting ready to transfer the items from your basket to the conveyer belt for check-out. Event A is picking a bag containing a vegetable first. Event B is picking a bag containing a green food first. All bags have an equal chance of being picked first.

1. What is the universal set for your grocery basket?

$$U =$$

2. What is set A?  $A =$

$$P(A) =$$

3. What is the set  $A \cup B$ ?

$$P(A \cup B) =$$

4. What is the set  $A \cap B$ ?

$$P(A \cap B) =$$

The numbers 1 through 30 are placed in a hat to determine the order in which students will give an oral report. Event A is being one of the first 10 students to give their report. Event B is picking a multiple of 6. If you pick first, calculate each of the following:

5. What is set A?

6. What is set B?

7.  $P(A) =$

8.  $P(A \cup B) =$

9.  $P(A \cap B) =$

10.  $P(A^c) =$

In the previous examples, you may have noticed that the probability of an event occurring and the probability of the event not occurring (the \_\_\_\_\_ of an event), have a sum of 1.

Meaning that: