

Day 2: Two-Way Tables

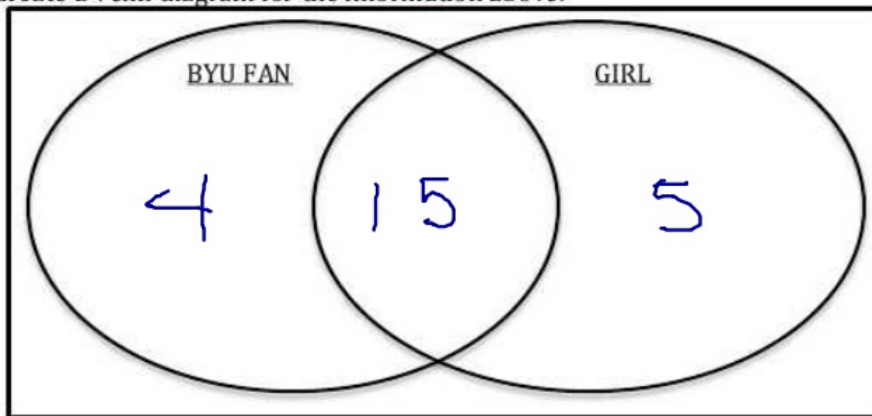
Date \_\_\_\_\_

A two-way table records data sets into its frequency (or counts) and the category title. In a two-way table you can only be in **one** of the horizontal categories and **one** of the vertical categories.

We will fill out the table below with data from our class and find the totals.

	Team: BYU	Team: U of U	Total
Boy	4	5	9
Girl	15	5	20
Total	19	10	29

Create a Venn diagram for the information above:



Find the following probabilities.

- $P(\text{boy}) = \frac{9}{29}$
- $P(\text{BYU Fan}) = \frac{19}{29}$
- $P(\text{boy} \cap \text{UofU Fan}) = \frac{5}{29}$
- $P(\text{girl} \cap \text{UofU Fan}) = \frac{5}{29}$
- $P(\text{boy} \cup \text{BYU Fan}) = \frac{24}{29}$
- $P(\text{girl} \cup \text{BYU Fan}) = \frac{24}{29}$
- $P(\text{BYU})^c = \frac{10}{29}$

Conditional  
 $P(\text{boy} | \text{uofU}) = \frac{5}{10}$

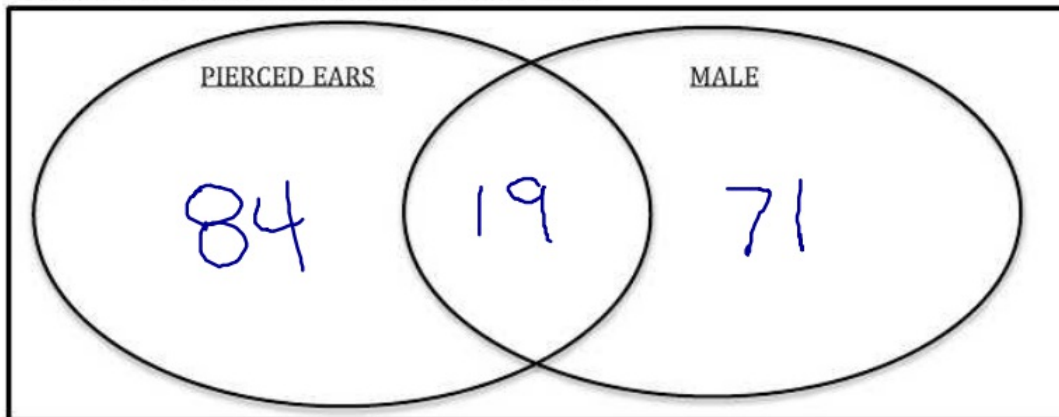
$A \in \{1, 3, 5, 6\}$

$B \in \{2, 4, 6\}$

$A \cup B \in \{1, 3, 5, 6, 2, 4\}$

Gender	Pierced Ears?		Total
	Yes	No	
Male	19	71	90
Female	84	4	88
<b>Total</b>	<b>103</b>	<b>75</b>	<b>178</b>

Create a Venn diagram for the information above:



$$8. P(\text{pierced ears}) = \frac{103}{178}$$

$$9. P(\text{female}) =$$

$$10. P(\text{male} \cap \text{pierced ears}) = \frac{19}{178}$$

$$11. P(\text{female} \cap \text{not pierced ears}) = \frac{4}{178}$$

$$12. P(\text{male} \cup \text{pierced ears}) = \frac{90 + 103 - 19}{178}$$

$$13. P(\text{pierced ears} \cup \text{male}) = \frac{174}{178}$$

$$= \frac{174}{178}$$

Marginal probabilities are

Examples:

Subtotals

Where are marginal probabilities always located in a two-way relative frequency table?

Totals

**Joint probabilities:** these are the probabilities in a two-way table of events things

Joint sets, such as boys and pierced ears

Which of the probabilities above is a joint probability? WHY? \_\_\_\_\_

Where are joint probabilities always located in a two-way relative frequency table?

A deck of cards is commonly used in probability questions. To ensure everyone is familiar with a deck of cards, answer the following:

How many cards are in a standard deck of cards? 52

How many suits are in a deck? 4 How many cards are in each suit? 13

Name the suits: Hearts, Diamonds, Spades, Clubs

What are the cards in each suit? \_\_\_\_\_

Which cards are face cards? Jack, Queen, King

You have a standard deck of cards. You will pull out one card at random. Find the following probabilities.

14.  $P(\text{club}) = \frac{13}{52}$

15.  $P(\text{queen}) = \frac{4}{52}$

16.  $P(\text{heart} \cap \text{face card}) = \frac{3}{52}$

17.  $P(\text{diamond} \cup \text{king}) = 13 \text{ diamonds} + 4 \text{ kings} - \text{king diamonds} = \frac{16}{52}$

18.  $P(\text{heart})^c =$

$P(\text{heart}) = \frac{13}{52}$ ,  $P(\text{heart})^c = \frac{39}{52}$